Standard for Mathematical Practice 1: Make sense of problems and persevere in solving them.		
Possible Student Actions: Students are	Possible Teacher Actions: Teachers are	Possible Questions to Promote: Teachers ask
 Working and reading rich problems carefully. Analyzing information (givens, constraints, relationships, goals). Drawing pictures, diagrams, tables, or using objects to make sense of the problem. Discussing the meaning of the problem with classmates. Making choices about which solution path to take. Trying out potential solution paths and making changes as needed. Checking answers and making sure solutions are reasonable and make sense. Exploring other ways to solve problems. Persisting in efforts to solve challenging problems, even after reaching a point of frustration. Relating current situations to concepts or skills previously learned and connect mathematical ideas to one another. 	 Providing rich problems aligned to the standards. Providing appropriate time for students to engage in the productive struggle of problem solving. Providing opportunities for students to solve problems that have multiple solutions. Comments: 	 What information do you have? What do you need to find out? What do you think the answer might be? Can you draw a picture? How could you make this problem easier to solve? Have you compared your work with anyone else? How is's way of solving the problem like/different from yours? Does your plan make sense? Why or why not? What tools/manipulatives might help you? What are you having trouble with? How can you check this? What do you think about what said? Do you agree? Why or why not? How might you use one of your previous problems to help you begin? What are some other problems that are similar to this one?

Standard for Mathematical Practice 2: Reason abstractly and quantitatively.			
Possible Student Actions: Students are	Possible Teacher Actions: Teachers are	Possible Questions to Promote: Teachers ask	
 Using mathematical symbols to represent situations. Taking quantities out of context to work with them (decontextualizing). Putting quantities back in context to see if they make sense (contextualizing). Considering units when determining if the answer makes sense in terms of the situation. Using properties of operations flexibly. Comments: 	 Providing a variety of problems in different contexts that allow students to arrive at a solution in different ways. Using think aloud strategies as they model problem solving. Attentively listening or strategies students are using to solve problems. Encouraging the flexible use of properties, objects, and solution strategies when solving problems. Comments: 	 What does the number represent in the problem? How can you represent the problem with symbols and numbers? Can you make chart, table or graph? Can you explain what you've done so far? Why did you decide to use this method? Can you think of another method that might have worked? Is there a more efficient strategy? Do you think this may work with other numbers? Have you thought of all the possibilities? How can you be sure? 	

Standard for Mathematical Practice 3: Construct viable arguments and critique the reasoning of others.		
Possible Student Actions: Students are	Possible Teacher Actions: Teachers are	Possible Questions to Promote: Teachers ask
 Making and testing conjectures. Using counterexamples to explore and support ideas. Explaining and justifying their thinking using words, objects, and drawings. Listening to the ideas of others and deciding if they make sense. Asking useful questions. Identifying flaws in logic when responding to the arguments of others. Elaborating with a second sentence (spontaneously or prompted by the teacher or another student) to explain their thinking and connect it to their first sentence. Talking about and asking questions about each other's thinking, in order to clarify or improve their own mathematical understanding. Revising their work based upon the justification and elaborations of others. Comparing two arguments and determine correct or flawed logic. 	 Posing tasks that require students to explain, argue, or critique. Providing many opportunities for student discourse in pairs, groups and during whole group instruction. Comments: 	 Why or why not? How do you know? Can you explain that? Do you agree? How is your answer different than's? What math language will help you prove your answer? What examples could prove or disprove your argument? What questions do you have for? How did you test whether your approach worked? Did you try a method that did not work? Why didn't it work? Would it ever work? Why or why not? How could you demonstrate a counter-example? Comments:

Standard for Mathematical Practice 4: Model with mathematics.		
Possible Student Actions: Students are	Possible Teacher Actions: Teachers are	Possible Questions to Promote: Teachers ask
 Using mathematical models (i.e. formulas, equations, symbols) to solve problems in the world. Using appropriate tools such as objects, drawings, and tables to create mathematical models. Making connections between different mathematical representations (concrete, verbal, algebraic, numerical, graphical, pictorial, etc.) Checking to see if an answer makes sense within the context of a situation and changing the model as needed. Comments: 	 Providing opportunities for students to solve problems in real life contexts. Identifying problem solving contexts connected to student interests. Encouraging student use of developmentally and content-appropriate mathematical models (i.e. variables, equations, coordinate grids). Reminding students that a mathematical model used to represent a problem's solution is a 'work-in-progress' and may be revised as needed. Comments: 	 Can you write a number sentence to describe this situation? What do you already know about solving this problem? What connections do you see? Why do the results make sense? Is this working or do you need to change your model? Would it help to create a diagram? Draw a picture? Make a table? What formula might apply in this situation?

Standard for Mathematical Practice 5: Use appropriate tools strategically.		
Possible Student Actions: Students are	Possible Teacher Actions: Teachers are	Possible Questions to Promote: Teachers ask
 Using technological tools to explore and deepen understanding of concepts. Deciding which tool will best help solve the problem. Examples may include calculators, concrete models, digital technology, pencil/paper, ruler, compass, protractor, etc. Estimating solutions before using a tool. Comparing estimates to solutions to see if the tool was effective. Using available tools, recognizing the strengths and limitations of each. Comments: 	 Making a variety of tools readily accessible to students and allowing them to select appropriate tools for themselves. Helping students understand the benefits and limitations of a variety of math tools. Comments: 	 How could you use manipulatives or a drawing to show your thinking? Which tool/manipulative would be best for this problem? What other resources could help you solve this problem? Why did you use this method to solve the problem? What can using a show us that may not? Why was it helpful to use? Comments:

Standard for Mathematical Practice 6: Attend to precision.		
Possible Student Actions: Students are	Possible Teacher Actions: Teachers are	Possible Questions to Promote: Teachers ask
 Communicating precisely using clear language and accurate mathematics vocabulary. Deciding when to estimate or give an exact answer. Calculating accurately and efficiently, expressing answers with an appropriate degree of precision. Using appropriate units; appropriately labeling diagrams and graphs. Comments: 	 Explicitly teaching mathematics vocabulary. Insisting on accurate use of academic language from students. Modeling precise communication. Requiring students to answer problems with complete sentences, including units. Providing opportunities for students to check the accuracy of their work. Comments: 	 Did you use or learn any new mathematical words today? What do they mean? Can you explain what you did to solve the problem? Compare your answer to's answer. What labels could you use? How do you know your answer is accurate? Did you use the most efficient way to solve the problem? What if you had started with rather than? What if you could only use? What are the key points or big ideas in this lesson? Comments:

Standard for Mathematical Practice 7: Look for and make use of structure.		
Possible Student Actions: Students are	Possible Teacher Actions: Teachers are	Possible Questions to Promote: Teachers ask
 Finding structure and patterns in numbers. Finding structure and patterns in diagrams and graphs. Using patterns to make rules about math. Using these math rules to help them solve problems. Seeing complicated things as single objects or as being composed of several objects. Comments: 	 Providing sense-making experiences for all students. Engaging students in discussions emphasizing relationships between particular topics within a content domain or across content domains. Allowing students to do the work of using structure to find the pattern for themselves rather than doing this work for students. Providing activities in which students demonstrate their flexibility in representing mathematics in a number of ways. Comments: 	 Why does this happen? How is related to? Why is this important to the problem? What do you know about that you can apply to this situation? How can you use what you know to explain why this works? What uses of mathematics can you find in current events? Can you give an example of? What patterns do you find in? How do you know is a pattern? Comments:

Standard for Mathematical Practice 8: Look for and express regularity in repeated reasoning.		
Possible Student Actions: Students are	Possible Teacher Actions: Teachers are	Possible Questions to Promote: Teachers ask
 Looking for patterns when working with numbers, diagrams, tables, and graphs. Observing when calculations are repeated. Using observations from repeated calculations to take shortcuts. Seeing the overall process of the problem and still attending to the details. Continually evaluating the reasonableness of their intermediate results. 	 Providing sense making experiences for all students. Allowing students to do the work of finding and using their own shortcuts rather than doing this work for students. Urging students to continually evaluate the reasonableness of their results. Comments: 	 What predictions or generalizations can you make? Can you find a shortcut to solve the problem? How would your shortcut make the problem easier? How could this problem help you solve another problem? Can you think of a counter example? What assumptions are you making? Is this always true, sometimes true or never true? How would we prove that? Is there a mathematical rule for? Comments: